

# Integrating different user groups into fishery management

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## 1 The State of Art

## 2 The Model

## 3 Calibration at work: the case of German Cod catches in the western Baltic Sea

## 4 References

# Conflicting interests between fisheries user groups

- Different user groups have stakes in fisheries
  - larger scale commercial fishing firms etc. . .
  - small-scale or part-time artisanal fishermen
  - recreational fishermen

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- These groups often exploit the same fish stocks and can be in competition with each other
  - rivalry for the resource and over-use
  - gear interferences
- Negative externalities undermine the **sustainability** and **value** withdrawn by society from fisheries resources

# Facts about Recreational Fisheries

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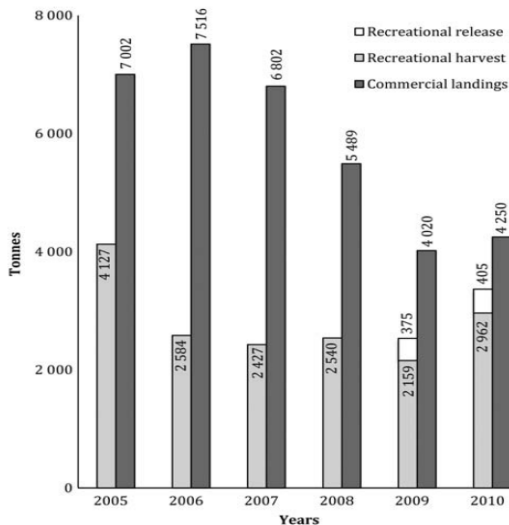
- Taking world as a whole, Cooke and Cowx (2004) estimate that recreational fish harvest may amount to some 12% of the global capture fisheries harvest
- Regarding Europe, marine recreational fisheries gain importance:
  - In 2008, Bay of Biscay: recreational catches of sea bass  $\approx$  **same order of magnitude** as those of the professional sector (Ifremer and BVA, 2009)
  - Between 2005–2010, the western Baltic Sea: annual recreational fishery cod harvests  $\approx$  a share varying **between 34 to 70%** of the German commercial landings (Strehlow et al., 2012)



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- Management of recreational fisheries observed worldwide generally relies on a combination of regulatory measures
  - prohibition to sell caught fish
  - purchase of an angling license
  - control of fishing effort (protection of some species, bag limits, legal size, gear restrictions, protected areas or closed seasons, etc.)

- Harry V. Strehlow, Norbert Schultz, Christopher Zimmermann, and Cornelius Hammer. Cod catches taken by the German recreational fishery in the western Baltic Sea, 2005–2010 : implications for stock assessment and management. *ICES J. Mar. Sci.* (2012) 69 (10): 1796–1780



**Figure:** Cod harvest in  $\text{t y}^{-1}$  in the German Baltic Sea (SD 22 + 24), and total landings in the German commercial fishery (SD 22 + 24) from 2005 to 2010, including recreational cod releases in 2009/ 2010

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- About 30% of EU landings in value and 9% in volume
- The regulation of the Small Scale Fisheries sector is heterogenous
  - So far the CFP has not managed to provide a regulatory frame that addresses the needs of the SSF
  - There is no commonly agreed definition of SSF at European level
  - Conservation measures are decided in practically equal proportions at EU, national or regional/local levels
    - Open access situations are possible in SSF (Guyader et al., 2013)

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# Objective function

**Question:** What is the efficient or socially optimal quota allocation of resource use rights over fishermen with different objectives, so as to

- maximize the societal benefits withdrawn from living marine resources
- prevent overexploitation of fish stocks
- improve the economic benefits derived by the various users of the fishery?

$$U(H_t, L_t) = u(H_t; \eta) + \alpha v(L_t; \beta)$$

Utility from catching a quantity  $H_t$  with fishing time (labor)  $L_t$

User groups are differentiated via parametrization:  $\alpha, \eta, \beta$

## Production function

$$H_t = F(x_t, K_t, L_t) = qx_t^\theta \underbrace{L_t^\gamma K_t^{1-\gamma}}_{=E_t \text{ ('effort')}}$$

## Cost minimization

$$\min_{L_t, K_t} \left\{ wL_t + rK_t - u(H_t, L_t) \text{ s.t. } H_t \geq F(x_t, L_t, K_t) \right\}$$



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From the F.O.C of the cost-minimization program

$$\begin{aligned} \frac{w - \alpha v'(L_t)}{r} &= \frac{F_{L_t}(x_t, L_t, K_t)}{F_{K_t}(x_t, L_t, K_t)} = \frac{\gamma}{1 - \gamma} \frac{K_t}{L_t} \\ \Leftrightarrow K_t &= \frac{1 - \gamma}{\gamma} \frac{w - \alpha v'(L_t)}{r} L_t \\ H_t = F(x_t, L_t, K_t) &= qx_t^\theta \left( \frac{1 - \gamma}{\gamma} \frac{w - \alpha v'(L_t)}{r} \right)^{1-\gamma} L_t \end{aligned}$$

# The demand for time at sea

Differentiating with respect to  $H$  gives

$$L^{*'}(H_t) = \frac{1}{\frac{H_t}{L_t} - \frac{(1-\gamma)^2}{\gamma r} (qx_t^\theta L_t)^{\frac{1}{1-\gamma}} H_t^{\frac{-\gamma}{1-\gamma}} \alpha v''(L_t)} > 0$$

$L^*(H_t)$  is increasing in  $H_t$  for  $v''(L_t) \leq 0$

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$$H \rightarrow 0 \quad \Leftrightarrow \quad L_{min} = \left(\frac{\alpha}{w}\right)^{\frac{1}{\beta}} \geq 0$$

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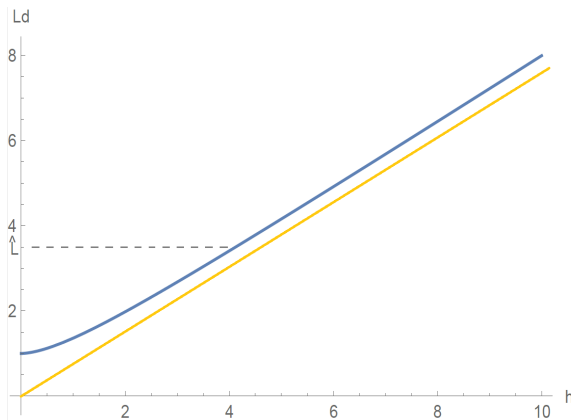
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The second derivative of  $L^*(H_t)$ , with respect to  $H_t$

$$L^{*''}(H_t) \geq 0 \quad \Leftrightarrow \quad \hat{L} \leq L_{min} \left(1 + \frac{\beta}{1-\beta} \gamma\right)^{\frac{1}{\beta}}$$

- The demand for time at sea is convex in harvest for  $L_t$  below the threshold level  $\hat{L}$
- Displays constant returns to scale for  $\alpha = 0$



**Figure:** Demand for time at sea  $L^*(H_t)$  for users with  $\alpha > 0$  (blue) versus  $\alpha = 0$  (yellow)

# Profit maximization

$$\max_{H_t} \left\{ U(H_t, L^*(H_t)) - w L^*(H_t) - r K_t^* - p H_t \right\}, \quad \Leftrightarrow$$

$$\max_{H_t} \left\{ u(H_t) + \alpha v(L^*(H_t)) - \frac{w}{\gamma} L^*(H_t) \right. \\ \left. + \frac{1-\gamma}{\gamma} \alpha v'(L^*(H_t)) L^*(H_t) - p H_t \right\}$$

Inverse demand function for quota

$$p = u'(H_t) - \left( \frac{w - \alpha v'(L^*(H))}{\gamma} - \frac{1-\gamma}{\gamma} \alpha v''(L^*(H)) L^*(H_t) \right) L_H^*$$

# Inverse demand function for quota

Applying the following specification for  $v(L_t)$

$$v(L_t) = \frac{L_t^{1-\beta} - 1}{1 - \beta}$$

where  $\beta$  conveys the scale of the recreational fishing activity as well as the satiety of this fishing group w.r.t.  $L_t$ .

The specification of  $p$  becomes

$$p = u'(H_t) - \frac{L^*(H_t)}{H_t} \frac{(w - \alpha L^*(H_t)^{-\beta})}{\gamma},$$

User groups who derive utility from time at sea have a higher demand for harvesting rights

The **slope** of the inverse demand function:

$$p_{H_t} = u''(H_t) - \frac{(w - \alpha L^*(H_t)^{-\beta})}{H_t^2} \frac{\beta \alpha L^*(H_t)^{1-\beta}}{w - \alpha L^*(H_t)^{-\beta}(1 - \beta(1 - \gamma))} \leq 0,$$

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The derivative of  **$p$  w.r.t.  $x_t$** :

$$p_{x_t} = \frac{q\theta}{\gamma x_t} L_{H_t}^* (w - \alpha(1 - \beta)L^*(H_t)^{-\beta}) \geq 0$$

The price of fishing quotas is increasing in the stock level of the targeted species.

Assuming the following specification for utility derived from harvest

$$u(H_t) = \frac{H_t^{1-\eta} - 1}{1-\eta},$$

with  $u'(H_t) = H_t^{-\eta} \geq 0$ , and  $u''(H_t) = -\eta H_t^{-\eta} \leq 0$ .

The derivative of  $p$  w.r.t.  $\eta$  gives

$$P_\eta = u_{H_t, \eta} = -H_t^{-\eta} \ln(H_t).$$

The level of the TAC determines the willing to pay for rights to fish of a given group.

Notice that as  $u(H_t)$  and  $v(L_t)$  have the same specification, the parameters  $\eta$  and  $\beta$  relate to there elasticity of substitution.

The **boundary** of the inverse demand function for  $H \rightarrow 0$

$$\lim_{H_t \rightarrow 0} p = u'(H_t) - \left( \frac{1-\gamma}{\gamma} \beta w \right) L_H^* = u'(H_t)$$

On the other hand, when  $\alpha = 0$ , we have

$$\lim_{H_t \rightarrow 0} p = u'(H_t) - \frac{w}{\gamma} L_H^*.$$

This difference comes from the subtraction of the marginal operating cost of fishing.

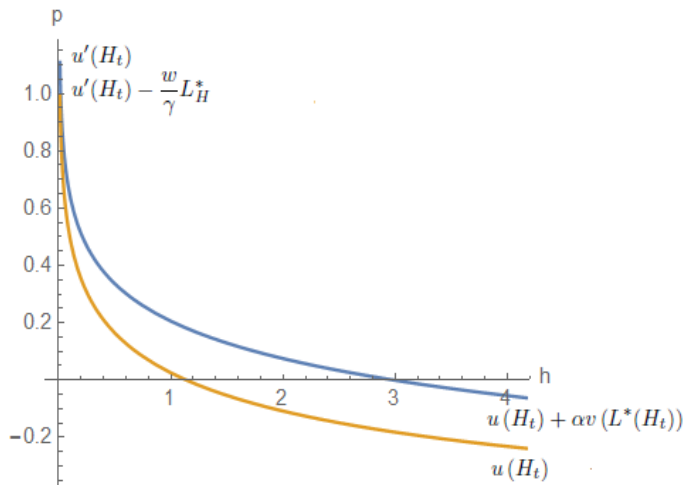
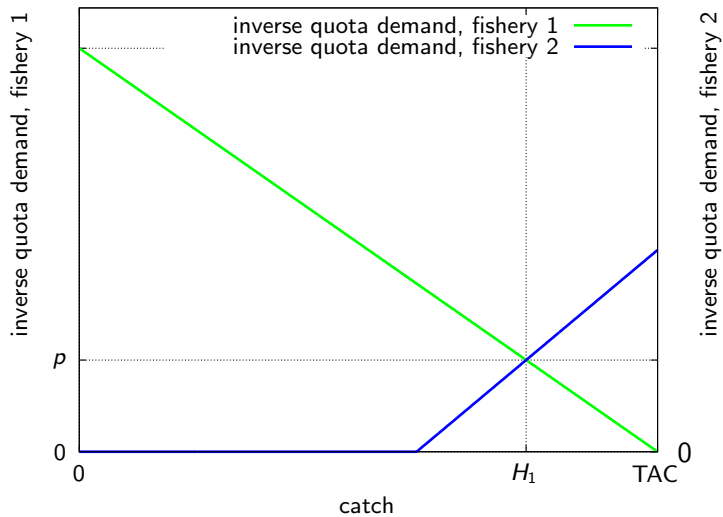
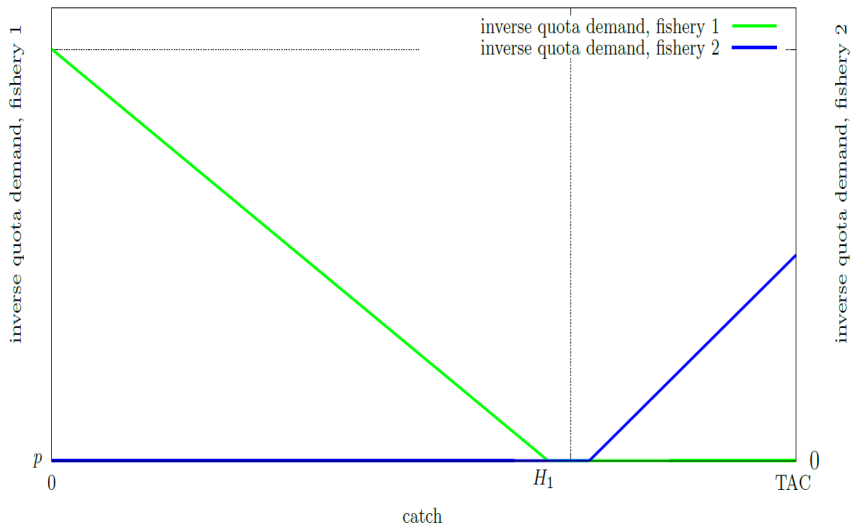
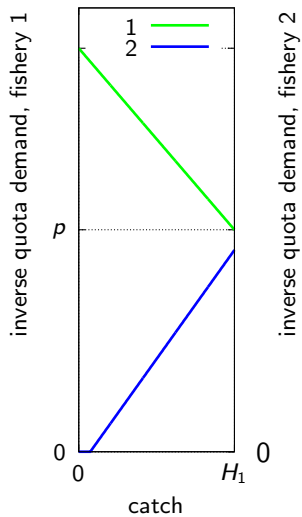


Figure: Difference in  $p$  for users with  $\alpha > 0$  (blue) versus  $\alpha = 0$  (yellow)



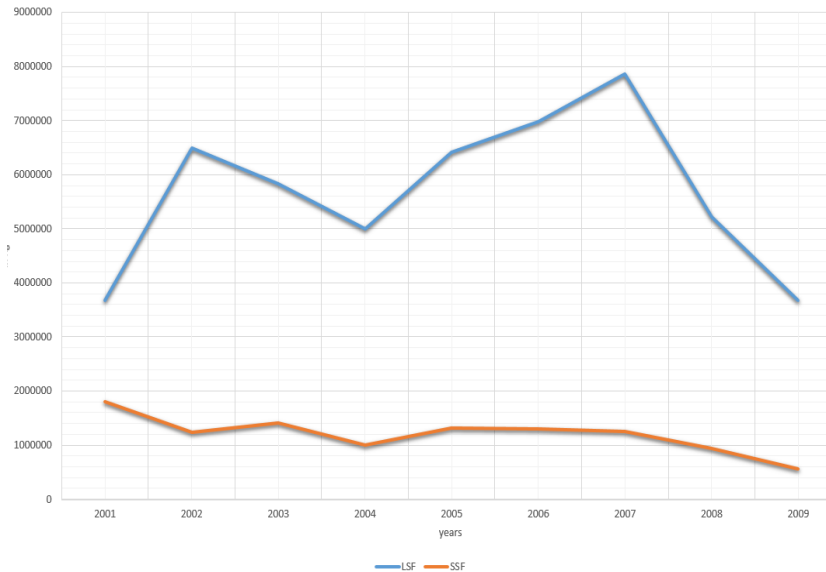




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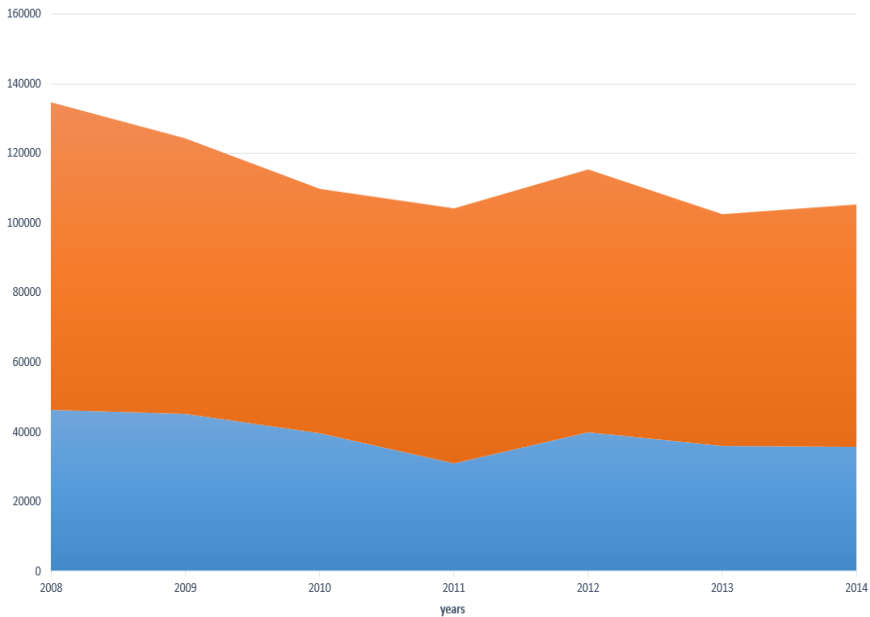


## German landings of COD, Baltic Sea



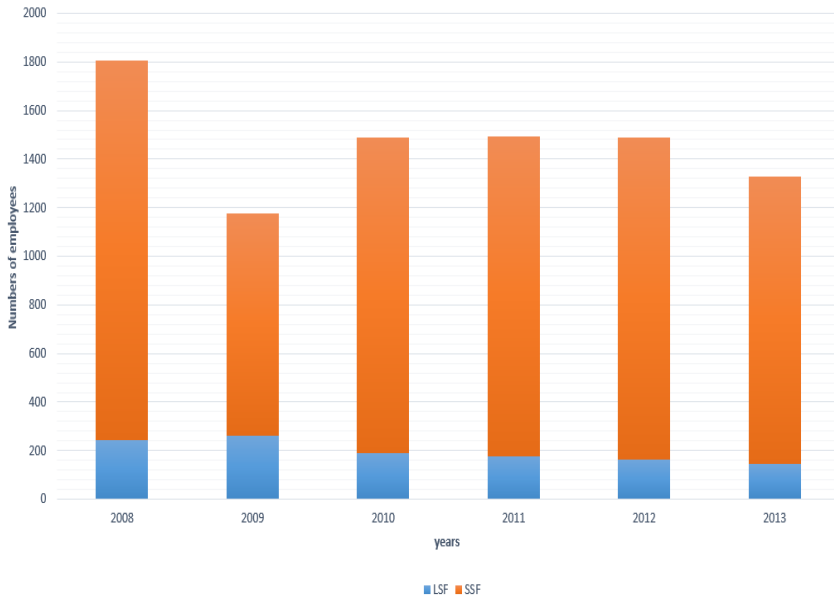
Sources: STECF 14-16

## Days at sea: Germany, BS

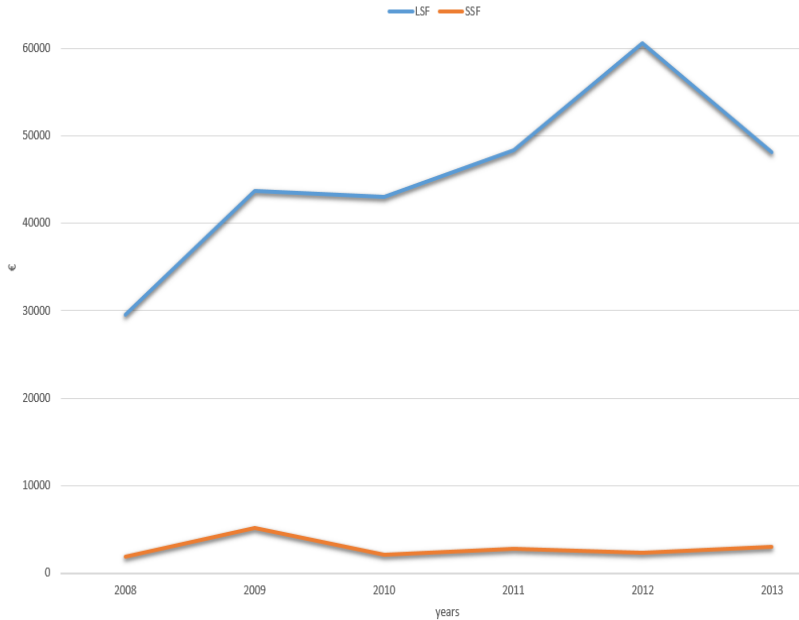


■ LSF ■ SSF

## Employment in FTE: Germany, BS



## Earnings per head: Germany, BS



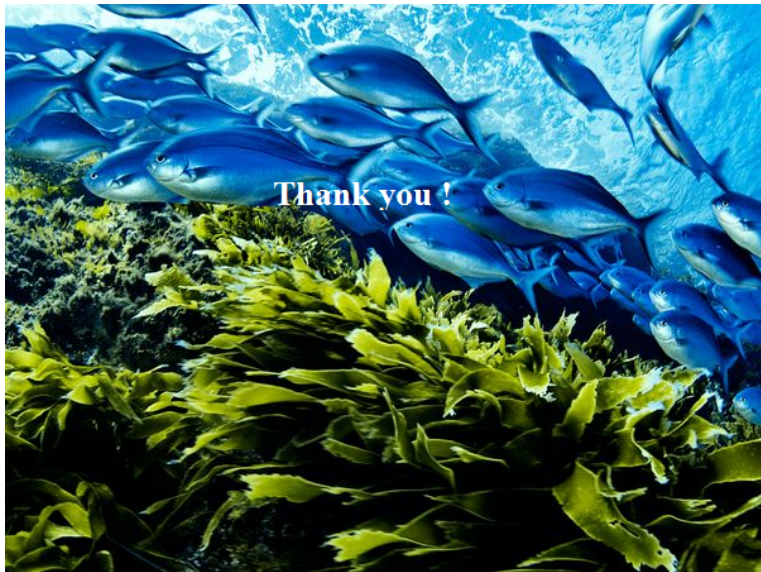
# Forthcoming research lines

- Appraise the welfare loss subsequent to an inefficient regulation:  $\rightarrow$  different quota price across user groups
- Introduce ecosystem dynamics and either
  - Seek for the socially optimal TAC and its allocation
  - Conduct a dynamic programming analysis under a set of constraint (Viability approach) to explore sustainable quota allocations

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# References

- Cooke, S. J. and Cowx, I. G. (2004). The role of recreational fishing in global fish crises. *BioScience*, 54:857–859.
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**Thank you !**